

1 Influence of enzyme concentration on the Michaelis-Menten constant: A new theory  
2 for isolated cases

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7 **ABSTRACT:**

8 This study proposes a novel theory that challenges the traditional understanding of  
9 the Michaelis-Menten constant ( $K_m$ ) as a fixed value for a given enzyme-substrate  
10 pair. We explore the possibility that  $K_m$  can be modulated by enzyme concentration.  
11 By analyzing the relationship between initial reaction velocity and substrate  
12 concentration at different enzyme concentrations, we observed a change in the  
13 apparent affinity constant (designated as  $K_{m1}$  and  $K_{m2}$ ). This observation  
14 contradicts established theory, leading us to propose a new model to explain this  
15 variation.

16 **INTRODUCTION:**

17 In enzyme kinetics, it has long been accepted that the Michaelis-Menten constant  
18 ( $K_m$ ) is independent of enzyme concentration. This assumption stems from the idea that  
19 under standard conditions,  $K_m$  reflects the enzyme's affinity for a substrate and is  
20 considered a fixed parameter for a given enzyme-substrate interaction. As a result, it has  
21 been widely believed that  $K_m$  remains constant, irrespective of changes in enzyme

22 concentration, representing an intrinsic property of the enzyme-substrate relationship.

23 (1)

24 In 1934, Lineweaver and Burk developed a graphical method for determining  $K_m$  and

25  $V_{max}$ , providing researchers with a valuable tool to analyze kinetic data. However, this

26 method has faced criticism, one of the main reasons being that it often shows  $K_m$

27 increasing with enzyme concentration—challenging the assumption that  $K_m$  is a constant.

28 (2)

29 Briggs and Haldane introduced the quasi-steady state approximation (QSSA), which

30 assumes the concentration of the enzyme-substrate complex remains relatively stable

31 during the reaction. This approximation provided the foundation for deriving the

32 Michaelis-Menten equation, which has become a cornerstone of enzymatic kinetics. (3)

33 According to the allosteric hypothesis (4), the modulation of enzyme affinity would

34 require a sufficient number of allosteric modulators. If these modulators are insufficient,

35 it would necessitate that only a portion of the enzymes are active while others are

36 inactive, which does not align with observed reality. The proposed theory offers a more

37 plausible explanation, as the decrease in affinity for the modulator is linked to an increase

38 in enzyme concentration.

39 situations as well.

40 The mechanism of enzymatic aggregation (5), although explainable in a few cases

41 based on electrostatic interactions, is in most cases hindered by these interactions and

42 cannot serve as an explanation for the majority of situations in which it has been proposed

43 as a rationale.

44 Enzymatic crowding (6) may explain variations in  $K_m$  only at extremely high enzyme

45 concentrations. However, it does not account for the constant increase in  $K_m$ , as observed

46 in Figure 1 of this article. Therefore, this mechanism cannot be utilized to explain the  
47 experimental results. The same explanation applies to the diffusion model.

48 Although the model of microenvironmental change with enzyme concentration certainly  
49 influences the value of  $K_m$ , if we compare the changes in  $K_m$  obtained through enzyme  
50 concentration with the effects obtained by other methods, it becomes clear that the  
51 microenvironmental change with enzyme concentration model cannot numerically justify  
52 such large variations.

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55 This paper introduces a novel theory that redefines the traditional understanding  
56 of enzyme-substrate interactions by focusing on the role of enzyme concentration in  
57 determining affinity. Unlike the classical Michaelis-Menten model, which considers  
58 enzyme concentration as irrelevant to affinity, this theory posits that enzyme  
59 concentration modulates the attraction between the enzyme and its substrate. This new  
60 perspective challenges the long-held assumption that affinity is constant under varying  
61 conditions and opens up new possibilities for studying enzyme kinetics, with important  
62 implications for biochemical research and therapeutic development.

63 The relevance of the proposed theory extends beyond merely reconsidering a  
64 fundamental principle in enzyme kinetics. This theory could have profound implications in  
65 various fields of biochemistry and pharmacology, particularly in the context of drug design  
66 and understanding mechanisms of drug resistance. Modifying the Michaelis-Menten  
67 constant ( $K_m$ ) based on enzyme concentration not only challenges the current dogma but  
68 also provides a new perspective on how enzymatic reactions can be manipulated to achieve  
69 desired therapeutic outcomes.

70 In particular, applying this theory in the development of enzyme inhibitors could lead to  
71 new strategies for blocking critical metabolic pathways in cancer cells or autoimmune  
72 diseases by manipulating enzyme concentrations to reduce the enzyme's affinity for its  
73 natural substrate. This aspect opens new avenues for further research and provides a solid  
74 foundation for the development of innovative therapeutic agents, thus underscoring the  
75 practical importance of this theory in the life sciences.

76 Our model is based on a physico-chemical mechanism that describes the electrostatic  
77 interactions between enzyme and substrate molecules. This mechanistic approach assumes  
78 that, as enzyme concentration increases, the forces opposing the substrate's trajectory also  
79 increase, leading to a decrease in enzyme affinity for the substrate and, consequently, an  
80 increase in  $K_m$ . In this paper, we explain this phenomenon by modeling molecular  
81 interactions using a geometric simplification, grounding the proposed theory in principles  
82 of molecular attraction and repulsion.

### 83 Semi-empirical Approach:

84 To test and calibrate this theoretical model, we used experimental data from the literature .  
85 The mechanistic model was adjusted based on experimental results that show variations in  
86  $K_m$  as a function of enzyme concentration, offering a semi-empirical method for validating  
87 and refining the theory.

### 88 Empirical Approach:

89 The experimental data referenced in this study are derived from existing literature on  
90 cellulose hydrolysis. These findings have been generalized to apply to all Michaelis-  
91 Menten enzymes, clearly illustrating that  $K_m$  increases as enzyme concentration rises. This

92 evidence supports the hypothesis that  $K_m$  is not a constant parameter, as traditionally  
93 accepted in the classical Michaelis-Menten model, but is instead influenced by  
94 experimental conditions, particularly enzyme concentration.

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96

### 97 Methodology :

98 This study is based on a contradiction between two fundamental principles in  
99 biochemistry:

- 100 1. When enzyme concentration increases, the fractional change in reaction velocity  
101 (v) is smaller than the fractional change in  $V_{max}$ . (7)
- 102 2.  $K_m$  is constant regardless of enzyme concentration.

103 We propose that the second principle is incorrect. This experimental design tested this  
104 hypothesis by using two enzymes for cellulose hydrolysis, and by analyzing how  $K_m$   
105 varies with enzyme concentration.

106 The experimental design described in this study is based on established protocols from the  
107 literature, rather than being performed by the authors themselves. The enzymes used for  
108 cellulose hydrolysis, including Celluclast CCN and Novozym TN 188 (both provided as  
109 gifts by Novo Industries), have their activities and properties documented in previous  
110 research. Celluclast CCN is a brown liquid with a density of 1.1989 g/mL and a protein  
111 content of 128.6 mg/g, while Novozym TN 188 ( $\beta$ -glucosidase) has a density of 1.1884  
112 g/mL with an activity of 520 units of  $\beta$ -glucosidase per gram of liquid.

113 The cellulases used in this study were prepared according to methods found in the  
114 literature. Specifically, the cellulase enzymes were derived from *Trichoderma reesei*  
115 MCG-77 strains via fermentation on lactose (LCC enzyme) and spruce sulfite pulp (D-25  
116 enzyme). The procedures for the preparation and extraction of these enzymes have been  
117 previously documented. LCC enzyme exhibited an activity of 0.53 FPU and 0.43 units of  
118  $\beta$ -glucosidase per milligram of protein, while D-25 enzyme showed 0.59 FPU and 0.30  
119 units of  $\beta$ -glucosidase per milligram of protein, consistent with literature values.

120 The hydrolysis procedure followed well-established protocols. The enzyme-buffer mixture,  
121 prepared in 0.05 M citrate buffer (pH 4.8) supplemented with 0.01% Thimerosal as a  
122 biocide, was heated to 50 °C in a 300 mL Erlenmeyer flask. Two grams of Sigmacell 50 or  
123 pretreated poplar wood were added to the enzyme solution, and the flasks were sealed with  
124 aluminum foil and incubated in a rotary shaker at 50 °C for up to 94 hours. At  
125 predetermined time intervals, samples were withdrawn and treated according to procedures  
126 previously described in the literature. The glucose and cellobiose concentrations in the  
127 supernatant were quantitatively analyzed by HPLC using an HPX 87 P column. The  
128 hydrolysis yield was calculated based on the concentration of the substrate initially added.

129 The methods applied in this study adhere strictly to previously established and validated  
130 experimental procedures from existing literature, ensuring consistency with recognized  
131 techniques in the field of enzymatic hydrolysis of cellulose.

132 (8)

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134 THEORY:

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136 
$$\frac{V_{MAX}}{\frac{V_{MAX}}{a}} = \frac{V_{MAX}'}{\frac{V_{MAX}'}{a}} = a \Rightarrow \frac{K_m + [S]}{[S]} = \frac{K_m + [S]'}{[S]'} = a \Rightarrow K_{m1} = (a-1)[S] \text{ and } K_{m2} = (a-1)[S]'$$

VMAX represents the maximum velocity before the enzyme concentration increase.

VMAX' represents the maximum velocity after the enzyme concentration increase.

[S] represents the substrate concentration at VMAX/a,

'[S]'' represents the substrate concentration at VMAX'/a,

a is a number greater than 1, belonging to the set of real numbers (R)

137 Since when enzyme concentration increase the fractional change in v is less than the

138 fractional change in v<sub>max</sub>[7], and v varies hyperbolically with the substrate

139 concentration, it follows that [s]<[s]'.  $\Rightarrow K_m$  increase with enzyme

140 concentration. ( $k_{m2}/k_{m1} = S'/S$ )

141 For this mathematical model, I would like to propose this theory.

142

143 Let's consider, for simplicity, an ideal case: a circle containing a solution of

144 enzyme and substrate, simplifying from a sphere to a circle. On each substrate, a force

145 acts that is equal to the sum of the attraction forces between each enzyme and its

146 respective substrate, plus the sum of the repulsion forces between each substrate and its

147 respective substrate. Since these are evenly distributed on the surface of a circle, any

148 deviation from the center of the circle in the substrate's position will result in an increase

149 in the repulsion and attraction forces acting on the substrate from the opposite side of

150 the deviation and a decrease in the forces from the same side as the deviation. Since the

151 substrate concentration is much higher than the enzyme concentration, it means that the  
152 repulsion force dominates. Therefore, as the substrate deviates more from the center of  
153 the circle, the electrostatic force that drives it toward the periphery of the circle  
154 increases, causing the substrate to collide with an enzyme located closer to the periphery  
155 than the substrate. From this, we can conclude that with an increase in enzyme  
156 concentration, the forces opposing the substrate's trajectory increase, thus decreasing  
157 the enzyme's affinity for the substrate.

158 Thermal agitation does not negate this mechanism because the electrostatic forces  
159 involved in this phenomenon will orient the enzyme's face with active sites toward the  
160 center of the circle due to the electrostatic attraction forces acting on them from the  
161 opposite side of the deviation. Thus, the collisions between substrates and the enzymes  
162 positioned toward the center of the circle will not lead to the formation of ES complexes.

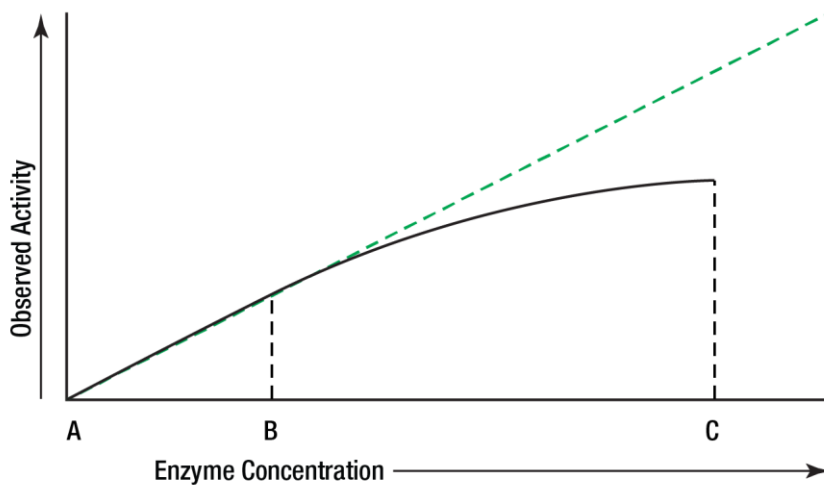
### 163 [Experimental biochemistry data supporting the theory and analysis of existing literature](#)

164 1. When enzyme concentration increases, the fractional change in  $v$  is less than the  
165 fractional change in  $V_{max}$  [7] as we can see in figure 1! This statement is consistent with  
166 the theory as it confirms that the activity of each enzyme decreases with an increase in  
167 enzyme concentration for the same substrate concentration.

168 2. The disproportion between the fractional change in  $v$  and the fractional change  
169 in  $V_{max}$  decreases with an increase in substrate concentration [7] as we can see in figure  
170 1! This is another statement consistent with the theory as it confirms the decreasing  
171 relevance of the attraction forces between each enzyme and substrate, compared to the

172 repulsion forces between each substrate and its reference substrate with substrate  
173 concentration.

174 These two experimental pieces of evidence demonstrate the theory through inductive  
175 reasoning: the first proves that the phenomenon actually occurs, and the second that the  
176 explanation is the proposed theory.



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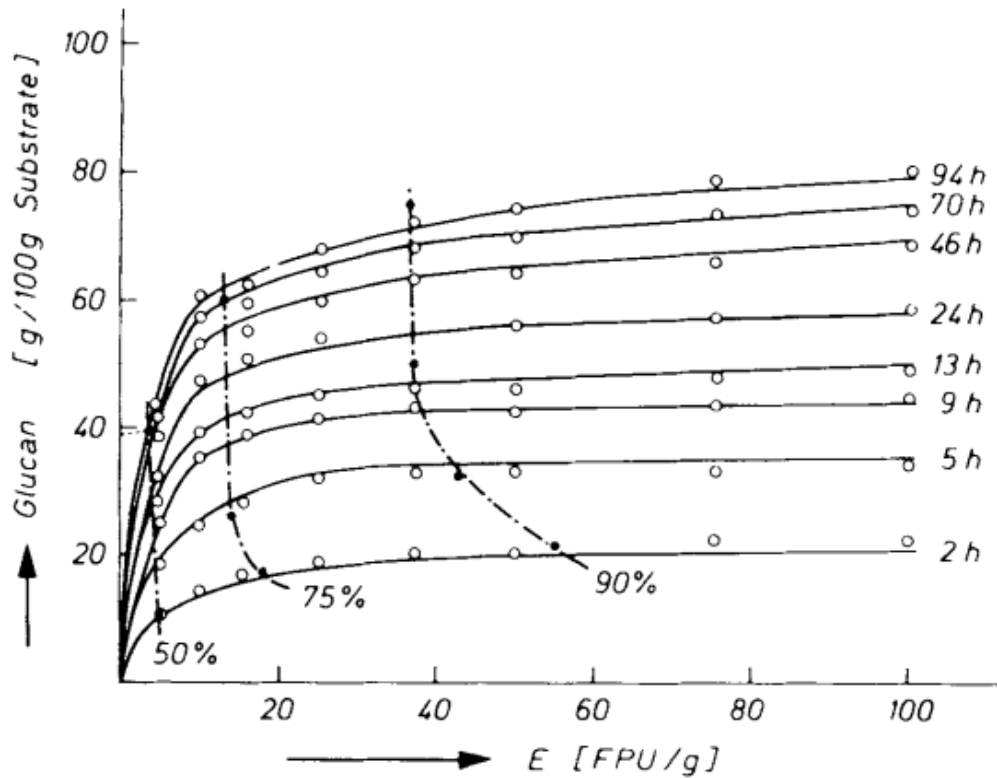
**Figure1 The variation of the reaction rate with enzyme concentration valid for all enzymes with michaelis menten kinetics[7]**

a)This figure illustrates how the reaction velocity ( $v$ ) changes as enzyme concentration increases, at a constant substrate concentration.

b)The graph shows that the fractional increase in reaction velocity ( $v$ ) is smaller than the fractional increase in  $V_{max}$ , indicating that as enzyme concentration rises, the enzyme's activity becomes less efficient relative to  $V_{max}$ .

c)The disproportion between these fractions decreases as substrate concentration increases.

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**Figure 3.** Effect of enzyme dosage on the extent of hydrolysis at different reaction times. The dashed lines give the enzyme dosage leading to 50, 75, and 90% maximum hydrolysis which could theoretically be reached at the indicated times. The solid lines are those calculated with the individual constants given in Table III using eq. (6). The ordinate is  $[100(Y/C_0)]$ .

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Figure 2 The effect of enzyme concentration on the Michaelis-Menten constant obtained from the experiment mentioned in methodology[8]."

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This figure demonstrates how  $K_m$  varies with enzyme concentration based on experimental data. As enzyme concentration increases,  $K_m$  also increases, signifying a reduction in enzyme affinity for the substrate. The graph provides evidence for the theory that  $K_m$  is not constant, but instead is influenced by enzyme concentration, contradicting the classical Michaelis-Menten model.

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If we try to take into account the conditions under which the experiments were

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conducted that resulted in the graph in Figure 1 and 2, and calculate the velocity when

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the enzyme concentration tends to infinity with the substrate concentration constant,

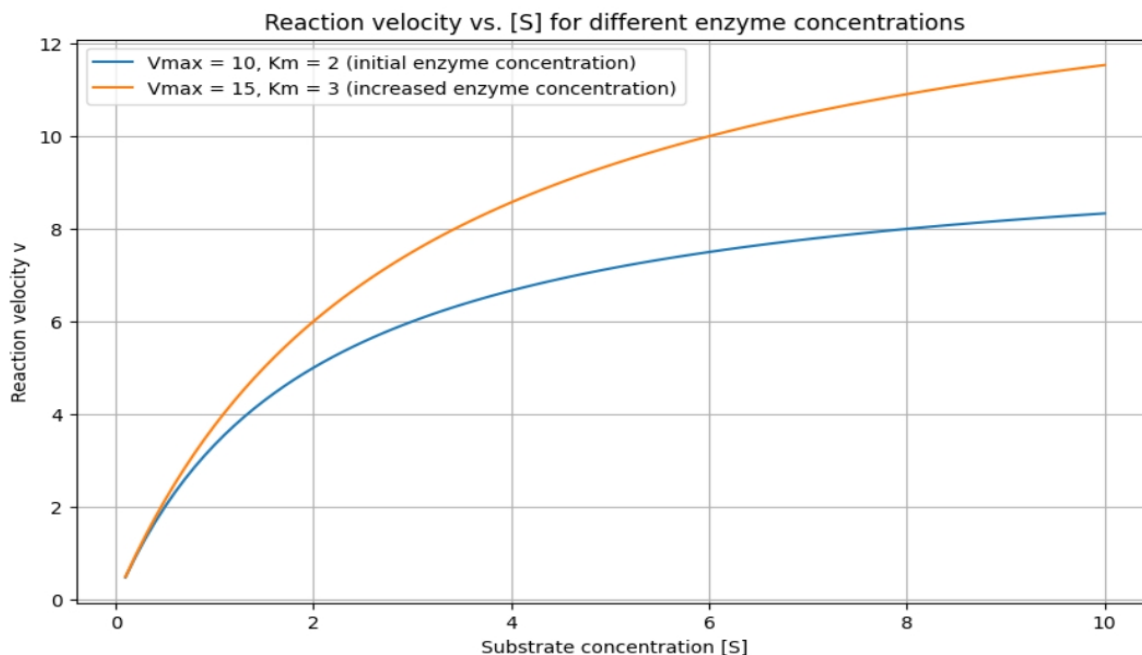
189 considering two cases for verification: the first where  $K_m$  remains constant regardless of  
190 the enzyme concentration, and the second where  $K_m$  also tends to infinity with the  
191 enzyme concentration.

$$192 \quad 1) \lim_{v_{max} \rightarrow \infty} \frac{v_{max} [S]}{k_m + [S]} = \infty \quad 2) \lim_{k_m \rightarrow \infty} \frac{v_{max} [S]}{k_m + [S]} \stackrel{L'Hopital}{=} [S]$$

193 As can be seen, only when  $K_m \rightarrow \infty$  is the result consistent with reality, with all  
194 the substrate reacting instantly.

195 3. According to this theory, the variation of  $K_m$  with enzyme concentration is  
196 challenging to identify when the  $[S] \gg [E]$  condition holds. This is because the factors  
197 influencing  $K_m$  become less apparent at high substrate concentrations. The small increase  
198 in reaction rate in the plateau phase, often ignored when determining  $V_{max}$  and  $K_m$ ,  
199 reflects these factors. Linearizing the plateau phase from a high substrate concentration  
200 mask the variation of  $K_m$ . While this approach simplifies data analysis, it neglects the fact  
201 that the slope of the line is steeper at higher enzyme concentrations. This is because the  
202 fractional change in  $v$  is less than the fractional change in  $V_{max}$ , and the disproportion  
203 between them decrease with substrate concentration. If the substrate concentration is too  
204 high, the variation of  $K_m$  with enzyme concentration may be underestimated. This is  
205 because any small increase in  $v$  will lead to a more significant decrease in  $K_m$  at high  
206 substrate concentrations. By addressing this error in data interpretation, it becomes  
207 possible to observe an increase in  $K_m$  with enzyme concentration. figure3

208



**Figure 3** The variation of  $K_m$  with enzyme concentration:

209 .This image illustrates two hypothetical graphs for different enzyme concentrations so that the results are consistent with  
 210 the graph in Figure 1.

211 a) It is observed that for the graphs to be consistent with the graph in Figure 1, it is necessary for  $K_m$  to increase with  
 212 enzyme concentration since the slope of the hyperbola is given by  $K_m$ .

213 b) Linearizing the plateau phase leads to ignoring the difference between the fraction of increase in  $v$  and the fraction of  
 214 increase in  $V_{max}$  with enzyme concentration.

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215 The mechanism described in this theory contradicts the premises of the  
 216 demonstration for the old theory, showing that  $k_1$ ,  $k_2$ , and  $k_3$  also vary with enzyme  
 217 concentration.

218 After reviewing the data on the pH at which  $K_m$  has minimum values, I was able  
 219 to observe that for enzymes with substrates that have ionizable functional groups, the pH  
 220 favors the ionization of the substrate rather than the ionization of the enzyme. This  
 221 phenomenon is consistent with the proposed theory all these values being direct

222 experimental validations of the theory and contradiction fir the old theory, according to  
223 which the optimal pH should favor the ionization of the enzyme.

224 In enzyme kinetics, two fundamental approximations are often used: the quasi-steady  
225 state approximation (QSSA) and the reactant stationary approximation (RSA). Although  
226 both approximations are widely employed, it is important to understand the distinction  
227 between them, as their applicability and assumptions differ.

228 In a study by Hanson and Schnell (2008) (9), and later by Schnell (2013) (10), it was  
229 demonstrated that QSSA does not necessarily imply RSA, and that they are distinct  
230 approximations. This difference is crucial for the interpretation of kinetic data and is  
231 consistent with the theory proposed in this paper.

232 QSSA assumes that the concentration of the enzyme-substrate complex remains constant  
233 over time after a brief initial period. This assumption allows simplification of the kinetic  
234 equations and is commonly used to derive the Michaelis-Menten equation. The  
235 approximation is valid when the substrate concentration  $[S]$  is much larger than the enzyme  
236 concentration  $[E]$ , ensuring that  $[ES]$  reaches a steady state quickly and remains nearly  
237 constant during the reaction.

238 Reactant Stationary Approximation (RSA):

239 RSA, on the other hand, is applied under different conditions, where the concentrations of  
240 both the substrate and the enzyme are considered to be nearly constant throughout the  
241 reaction. RSA is valid when the substrate concentration is not only large but also changes  
242 very slowly over time, ensuring that the concentrations of the reactants do not vary  
243 significantly during the reaction course.

244 QSSA vs RSA:

245 The key difference between these two approximations lies in the assumption about the  
246 reactant concentrations. While QSSA focuses on the stability of the enzyme-substrate  
247 complex, RSA assumes that both the substrate and enzyme concentrations remain nearly  
248 unchanged. As a result, RSA is typically applied in cases where the substrate concentration  
249 is even higher than what is required for QSSA.

250 In the context of this theory, we can conclude that:

- 251 • When  $k_1[E][S] \approx k_2[ES]$ , RSA is valid and because  $[ES]$  is constant, as assumed by  
252 QSSA.
- 253 • However, when only QSSA is applied, we assume  $k_1[E][S] > k_2[ES]$ , meaning that  
254 the concentration of  $[ES]$  is in steady state.

255 For RSA to hold, the substrate concentration must increase beyond what is required for  
256 QSSA, implying that variations in the rate constants  $k_1$  and  $k_2$  may occur. This is  
257 consistent with the proposed theory, which posits that substrate concentration affect  $K_1$   
258 and  $K_2$

259 In a study examining the overexpression of PPAR $\alpha$  in tumor cells, it was observed that this  
260 led to a paradoxical inhibition of cell proliferation. (11), Peroxisome proliferator-activated  
261 receptor alpha (PPAR $\alpha$ ) is a nuclear receptor that regulates the expression of genes  
262 involved in lipid metabolism. When activated by ligands, such as fatty acids, PPAR $\alpha$  binds  
263 to PPAR response elements (PPREs) in the DNA and promotes the transcription of genes  
264 responsible for fatty acid oxidation and other metabolic processes.

265 In the context of the proposed theory, the overexpression of enzymes induced by PPAR $\alpha$   
266 would lead to an increase in enzyme concentration. According to our findings, this would  
267 cause an increase in the Michaelis-Menten constant ( $K_m$ ) for allosteric enzymes. As  $K_m$   
268 increases, a much higher substrate concentration is required for the enzyme to maintain its  
269 catalytic efficiency. This suggests that metabolic activation would only occur at very high  
270 substrate concentrations, as the enzyme's affinity for its substrate decreases with increasing  
271  $K_m$ .

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#### 274 Results:

275 1)  $K_m$  increase with enzyme concentration

276 2) considering the plateau phase as linear will lead to significant errors in the calculation  
277 of  $K_m$

278 3) as the concentration of the enzyme increases, the force with which the substrate  
279 moves towards the enzyme decreases

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#### 282 Discussions:

283 This theory can be used for the further development of a new class of drugs by  
284 increasing the concentration of the allosteric enzyme (for example, through strong  
285 agonization of a receptor) until the concentration of the physiological substrate no longer

286 exceeds  $K_m$ , resulting in metabolic pathway blockage. These drugs could be useful in  
287 cases of cancer or autoimmune diseases, for example.

288

289           The limitations of this theory are that due to the numerous factors to be  
290 considered and the fact that the way in which  $K_m$  varies with the enzyme concentration  
291 depends on the specific characteristics of each enzyme-substrate pair, it is unrealistic to  
292 believe that we can create a mathematical model for predictions, and it will require  
293 numerous practical experiments.

294           Another limitation of this theory is that it is studied for isolated studies, but  
295 starting from the principles of this mechanism, non-isolated cases (as they occur in vivo)  
296 can also be studied by categorizing metabolic pathways into those where the substrate  
297 changes its charge sign and those where this does not happen, It is recommended that these  
298 studies be conducted experimentally, given the complexity of the phenomena.

#### 299 CONCLUSION:

300 This study challenges the traditional view of  $K_m$  as a fixed constant and demonstrates that  
301 it can vary with enzyme concentration. These findings have profound implications for how  
302 enzyme kinetics is understood and suggest that future studies must account for the  
303 influence of enzyme concentration when interpreting kinetic data.

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306 This article did not require any financial support and no financial interest so far.

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309 **Bibliography**

- 310 1. *The original Michaelis constant: translation of the 1913 Michaelis-Menten paper.*  
311 Michaelis L, Menten ML, Johnson KA, Goody RS. 39, s.l. : Biochemistry, 2011, ACS  
312 Publication, Vol. 50, pp. 8264-8269 . doi: 10.1021/bi201284u.
- 313 2. *The Determination of Enzyme Dissociation Constants.* Lineweaver, Hans and Burk,  
314 Dean. 3, s.l. : American Chemical Society, March 1, 1934, Vol. 56, pp. 658-666.
- 315 3. *A Note on the Kinetics of Enzyme Action.* Briggs GE, Haldane JB. s.l. : The Biochemical  
316 Society, pp. 338–339.
- 317 4. *Allostery and the Monod-Wyman-Changeux model after 50 years.* Changeux, Jean-  
318 Pierre. s.l. : annual review of biophysics, January 6, 2012, Vol. 41, pp. 103-133.
- 319 5. *Implications of macromolecular crowding for protein assembly.* Minton, A P. 1, s.l. :  
320 Current Opinion in Structural Biology, February 1, 2000, Vol. 10, pp. 34-39.
- 321 6. *Macromolecular crowding: obvious but underappreciated.* Ellis, R.John. 10, s.l. : Trens in  
322 Biochemical Sciences, October 01, 2001, Vol. 26, pp. 597-604.
- 323 7. Worthington, Charles C., Worthington, Von and Andrew Worthington, Ph.D.  
324 introduction to enzyme. [https://www.worthington-biochem.com/sites/default/files/2022-](https://www.worthington-biochem.com/sites/default/files/2022-03/Enzymes.pdf)  
325 [03/Enzymes.pdf](https://www.worthington-biochem.com/sites/default/files/2022-03/Enzymes.pdf). [Online] [Cited: 8 30, 2024.]
- 326 8. *The effect of enzyme concentration on the rate of the hydrolysis of cellulose.* W. Sattler,  
327 H. Esterbauer, O. Glatter, W. Steiner. 10, s.l. : Wiley, April 20, 1989, Vol. 33, pp. 1221-  
328 1234.
- 329 9. *Reactant stationary approximation in enzyme kinetics.* Hanson, S.M., Schnell, S. 37, s.l. :  
330 J. Phys. Chem, 2008, Vol. 112, pp. 8654–8658.
- 331 10. *Validity of the Michaelis–Menten equation – steady-state or reactant stationary*  
332 *assumption: that is the question.* Schnell, Santiago. 2, s.l. : FEBS, 2013, Vol. 282, pp. 464-  
333 472.

334 11. *PPAR $\alpha$  Regulates the Proliferation of Human Glioma Cells through miR-214 and E2F2.*  
335 Yong Gao, Dongfeng Han, Laisheng Sun, Qihua Huang, Guangchao Gai, Zicheng Wu, Wei  
336 Meng, Xincheng Chen. s.l. : Biomed Research international, 2018, p. 10. 3842753.

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